Experiment 10. Reaction Timer: Part 1. Generating Random Delay

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1. Objectives

- Learn how to generate random numbers using a Linear Feedback Shift Register (LFSR).
- Learn how to use counters to wait for specific amounts of time before performing an action.

2. Materials Required

- An FPGA prototyping board.
- Design and simulation software tools.
- The onehz module from previous experiments.

3. Background

3.1. Reaction Timer

The reaction timer is a circuit that measures human response time to a given event. We will develop the reaction timer as a game the goes as follows:

- 1. A player starts the game.
- 2. After a random delay, an LED will turn on.
- 3. As soon as the LED is on, the player should respond by pushing a button.
- 4. The circuit measures the time between the LED turning on and the player's response.
- 5. Depending on the response time, a message will be displayed, classifying the player's response as either *fast, good* (average), or *slow*.

To design this circuit, we need two components: a random time generator, and a response time

calculator.

This experiment is divided into two parts. In the first part, you will build the random time generator, which will generate the random time delay between the start signal and the LED turning on. In the second part, you will build the response time calculator, which will measure the time between the LED turning on and the player's response.

The <u>Functional Block Diagram of the Final System</u> figure shows the functional design of the system. The white area highlights the blocks you are going to build in this part of the experiment. The designer implementing this functional design, can either make each functional block as a stand-alone circuit, or merge two or more blocks into one circuit. This choice is left to the designer. Such decision can affect the complexity and the flexibility of the design.

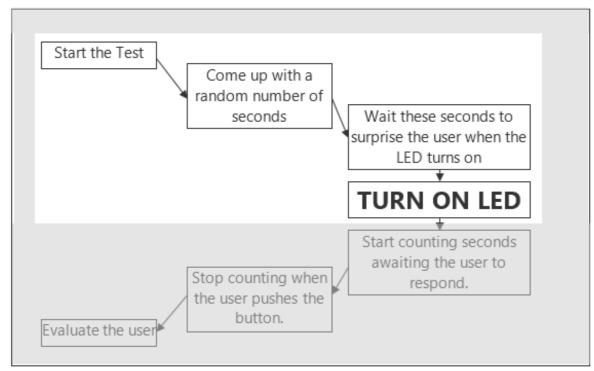


Figure 1. Functional Block Diagram of the Final System

3.2. Generating Random Numbers

Random numbers can be generated using a component called a *Linear Feedback Shift Register* (LFSR). An LFSR is a shift register with XOR feedback.

An *n*-bit LFSR can generate periodic sequences with a maximum period of $2^n - 1$. After the period is finished, the sequence will repeat. The placement of the XOR gates defines the period of the LFSR.

LFSRs in general can be described using polynomials that specify the specific bits used in constructing the XOR feedback.

An example of a maximal period LFSR is shown in the <u>A 4-bit LFSR with Maximum Period Using Flip-</u> <u>Flops</u> figure. The corresponding Verilog implementation is also shown in the <u>Verilog Implementation of a</u> <u>4-bit LFSR</u> listing. The flip-flops used have an active-high preset to initialize the register to the 1111 state.

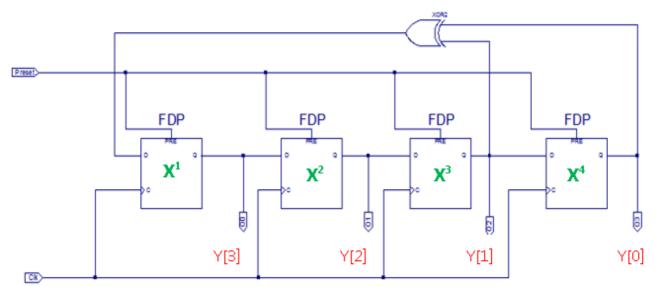


Figure 2. A 4-bit LFSR with Maximum Period Using Flip-Flops

Verilog Implementation of a 4-bit LFSR

```
module lfsr_4b (input clock, input preset, output reg [3:0] y);
    always @(posedge clock)
    begin
        if (preset)
            y <= 4'b1111;
        else
        begin
            y <= 4'b1111;
        else
        begin
            y <= { y[1] ^ y[0], y[3:1] };
        end
    end
endmodule</pre>
```

The polynomial that describes this LFSR is:

 $1 + x^3 + x^4$

As apparent, the bits mentioned in the polynomial ^[1] are the ones XOR'ed, and the result is used as the input to the shift register. That is, by knowing the polynomial, you can build a circuit that generates pseudo-random numbers.



For this LFSR, the state 0000 is a jam case: once you are in that state, you cannot leave it!

If this LFSR is initialized to $Q_3 Q_2 Q_1 Q_0 = 1111$, the maximal period will be 15, and the output sequence will be as shown in the <u>Function Table of the 4-bit LFSR</u> and the <u>Sequence of the 4-bit LFSR</u> figure.

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Cycle	$Q_3^+ = Q_0 \oplus Q_1$	\mathbf{Q}_{2}^{+}	Q_1^+	Q_0^+	Value	
1	1	1	1	1	15	
2	0	1	1	1	7	
3	0	0	1	1	3	
4	0	0	0	1	1	

Table 1. Function Table of the 4-bit LFSR

Cycle	$Q = Q \oplus Q$	Q	Q	Q	Value
5	1	0	0	0	8
6	0	1	0	0	4
7	0	0	1	0	2
8	1	0	0	1	9
9	1	1	0	0	12
10	0	1	1	0	6
11	1	0	1	1	11
12	0	1	0	1	5
13	1	0	1	0	10
14	1	1	0	1	13
15	1	1	1	0	14
16	1	1	1	1	15

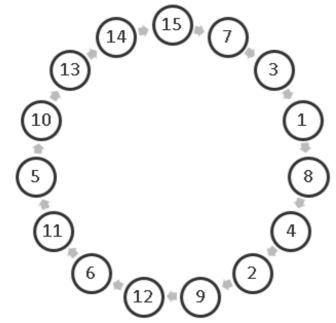


Figure 3. Sequence of the 4-bit LFSR

3.3. From Random Numbers to Random Delays

We would like to use the randomly generated number to determine the length of time to wait for user input. We can do that using a counter that counts up to the random number.

Counters, Revisited



Recall from previous experiments that a counter counts the edges of an input signal, typically the **clock** signal. It is is a sequential circuit that is composed of a combinational unit and a register. The register holds the value that the counter has reached, and the combinational unit will compute the next counter value, which depends on whether the counter is counting up or down.

In experiment 8 (Clock), you learned how to model a parameterized counter with configurable width. There are many other variations of counters. For example, synchronous vs. asynchronous clear, up counter vs. down counter, whether the counter can be loaded with an initial value or not, and so on.

The <u>Verilog Description of a 2-bit Up Counter with Load Capability</u> shows another example of counter implementation with parallel load: it can set the counter value to a user-provided value that can be loaded, in parallel, using a dedicated input pin for each bit. A value is loaded using the data input when the load input is set to 1.

Verilog Description of a 2-bit Up Counter with Load Capability

```
module up_counter_2b (
    input clock, reset, enable, load, [1:0] data,
    output reg [1:0] count);
    always @(posedge clock)
    begin
        if (reset)
            count <= 0;
        else if (load)
            count <= data;
        else if (enable)
            count <= count + 1;
    end
endmodule</pre>
```

4. Tasks

4.1. Design a 5-bit LFSR

1. Use the example 4-bit LFSR described in the "<u>Generating Random Numbers</u>" section as a guide. Analyze its circuit and propose a design for a 5-bit LFSR based on the polynomial:

 $1 + x^2 + x^5$

2. Write a Verilog module for your 5-bit LFSR design, named lfsr_5b. Simulate your design and verify that the sequence is maximal, i.e., period = 31.

4.2. Design a Down Counter

1. Use the 2-bit up counter described in the "<u>From Random Numbers to Random Delays</u>" section as a guide to design a *2-bit down counter with load*.

The down counter should have a reset input that sets the counter to the value 2'b11 when set. In addition, the down counter should be loadable, which means that once a load input (load) is set to 1, the counter is loaded with a value through the 2-bit data input. When the counter reaches 0, it should set an output signal zero to 1.

2. Write a Verilog module for your 2-bit down counter design with the given requirements.

Use th interface below for your design:

```
module down_counter_2b (
    input clock, reset, enable, load, [1:0] data,
    output zero, reg [1:0] count);
```

3. Simulate your design and verify that the down_counter_2b module counts correctly from a loadable value *n*, i.e., outputs = *n*, *n*−1, *n*−2, ..., 1, 0.

4.3. Counting Down Seconds

1. Use your 2-bit down counter to count seconds.

```
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```

Use your counter with a clock input that has a frequency of 1 Hz.

Use the **onehz** module that you built in experiment 9 (Building a Digital Timer). Alternatively, you can use the following implementation.

```
module onehz (
    input clock, reset,
    output clock_1hz);
    reg [26:0] counter;
    assign clock_1hz = (counter == 27'h5f5e0ff);
    always @(posedge clock)
    begin
        if (reset || clock_1hz)
            counter <= 0;
        else
            counter <= 0;
        else
            counter <= counter + 1;
    end
endmodule</pre>
```

- 2. Propose a design that loads some fixed number of seconds and starts counting down.
- Write a Verilog module for your design. Name it fixed_delay_counter. Use the following module declaration:

```
module fixed_delay_counter (
    input clock, reset, enable, load, [1:0] data,
    output zero, [1:0] count);
```

4. Implement your fixed_delay_counter module and verify its correct operation.

4.4. Counting Down a Random Number of Seconds

1. The following Verilog module, delay_counter, finalizes the design by integrating all the required components.

```
module delay_counter (
    input clock, reset, load_rand,
    output led);
    wire enable_rand;
    wire [1:0] count;
```

Here, lfsr_5b and fixed_delay_counter are your modules that you implemented in the previous tasks. dff is a D flip flop (see below).

The user should first press the reset button, which will reset the LFSR. Then, he presses the load_rand button, which will load the counter with a random number of seconds obtained from the LFSR. The 2-bit random number is composed of bit 1 and bit 3 from the 5-bit LFSR output. Note that when the user presses the load_rand button, the onehz module is reset. Once the counter reaches zero, the counter stops counting and the led signal should be 1. The led signal remains 1 until the user presses the load_rand or reset buttons.

For the D flip flop, use the following Verilog module:

D Flip Flop Verilog Module

```
module dff (
    input clock, reset, enable, d,
    output reg q);
    always @(posedge clock)
        if (reset)
            q <= 0;
        else if (enable)
            q <= d;
endmodule</pre>
```

- 2. Implement your delay_counter module on an FPGA by connecting the clock signal to the system clock (FPGA pin V10), and other signals to the necessary buttons and LEDs, and test it for correct functionality. You may want to declare count[1] and count[0] as output signals to see the value loaded in the counter when the load_rand button is pressed.
- 3. Answer the following questions:
 - a. Why is the led output signal defined as led = zero & ~load_rand?
 - b. Why is the load_rand signal stored in a D flip flop to obtain load_rand_q?
 - c. Why is the enable_rand signal defined as enable_rand = ~led & load_rand_q?

5. Grading Sheet

Task	Points
Design and simulate a 5-bit LFSR	20
Design and simulate a 2-bit down counter with load	20
Design and test your fixed_delay_counter	20

Task	Points
Design and demonstrate your delay_counter on the FPGA	20
Lab notebook and discussion	20

1. More accurately, the bits whose positions correspond to the powers with non-zero coefficients in the polynomial.

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